## Faber - Jackson Relationship of Ellipticals Distances to Elliptical Galaxies

$$
L_{B} \propto \sigma_{0}^{4}
$$

Luminosity of the elliptical galaxy in the B-band

Average velocity dispersion of stars in the centre of the elliptical galaxy

- Elliptical galaxies with a large dispersion in velocity also have high luminosities
- Relationship first reported by Faber \& Jackson 1976, ApJ, 204, 668.

Distant elliptical galaxies may not be spatially resolved, but the average velocity dispersion of stars in the galaxy can still be determined from the spectrum of the galaxy.


For a diverse sample of elliptical galaxies, the logarithm of the central velocity dispersions of stars are plotted against their absolute magnitudes in the B-band. 'I'he solid line is a linear fit to the data points. 'I'he figure demonstrates that the central velocity dispersion of stars in elliptical galaxy is correlated with the luminosity of the galaxies, which is known as the Faber Jackson relationship. It should noted that it is not a tight correlation, there is some spread in the distribution. Figure taken from Bender et al. 1992, Apf, 399, 462


Faber-Jackson relation for ellipticals and bulges of disc galaxies. Data points marked as Abell 496 are ellipticals that belong to the cluster Abell 496. Giant ellipticals and intermediate-luminosity ellipticals are in small blue points, bulges of disc galaxies in red, dwarf ellipticals and lenticulars in black. Figure from Chilingarian et al. (2008)

## Distances to Elliptical Galaxies

- An empirically derived relationship
- Relationship has considerable scatter (power index ~ 3.6 5.4), deviations from a simple power law
- Still a debate whether the Faber Jackson relationship is universal or not
- Reason for specifying this relationship to the central stars is because of observational constraints; it is easier to obtain higher $\mathrm{S} / \mathrm{N}$ ratio spectrum for the central regions of galaxies


## Why Faber - Jackson Relationship?

- Why the velocity dispersion of stars should be correlated with galaxy luminosity?

$$
U \propto \frac{G M^{2}}{R} \quad \text { and } \quad K \propto M \sigma_{0}^{2}
$$

Elliptical galaxies are virialized structures $2 K+U=0$

$$
\sigma_{0}^{2} \propto \frac{G M}{R}
$$

$\sigma_{0}^{2} \propto \frac{G L}{R} \begin{aligned} & \text { assuming that mass follows light (at least in the } \\ & \text { central regions of ellipticals) }-\quad \text { crucial } \\ & \text { assumption. } L \text { can dependent on environment. }\end{aligned}$

$$
L \propto 4 \pi\left(\frac{G L}{\sigma_{0}^{2}}\right)^{2} \quad \longrightarrow \quad L \propto \frac{1}{4 \pi G^{2}} \sigma_{0}^{4}
$$

## Luminosity $\mathcal{E} \mathbf{M} / \mathrm{L}$ correlation



Fig. 17.-Mass-to-light ratio in solar units versus absolute magnitude from Table 3. The predicted relation based on King's data and on the power-law $L \propto v^{4}$ is shown as the straight line.

The more luminous ellipticals also have higher $\mathrm{M} / \mathrm{L}$ ratio.

## Another Correlation for Ellipticals : $\mathrm{D}_{\mathrm{n}}$ - $\sigma$ correlation



Y -axis is isophotal diameter for surface brightness of 20.75 mag per sq. arcsecond.

X-axis is log of velocity dispersion in km/s

## Fundamental Plane for Elliptical Galaxies

Figures taken from Diaz \& Muriel, 2005, MNRAS 364, 1299


Faber - Jackson result

$L \propto 4 \pi R^{2} \propto \mu\left(\pi R^{2}\right)$

## Fundamental Plane for Elliptical Galaxies




$D_{n}-\sigma$ relationship

## Fundamental Plane for Elliptical Galaxies



The correlation gets tighter if one of the three parameters is plotted against a combination of the other two.

This relationship is called the
Fundamental Plane
for Elliptical Galaxies

## Summarizing for Ellipticals

Low mass ellipticals

Lower luminasity
Smaller velocity
dispersion
Smaller mass-ta-light ratio

High mass ellipticals

Higher luminasity

Larger velocity dispersion

Larger mass-to-light ratio

